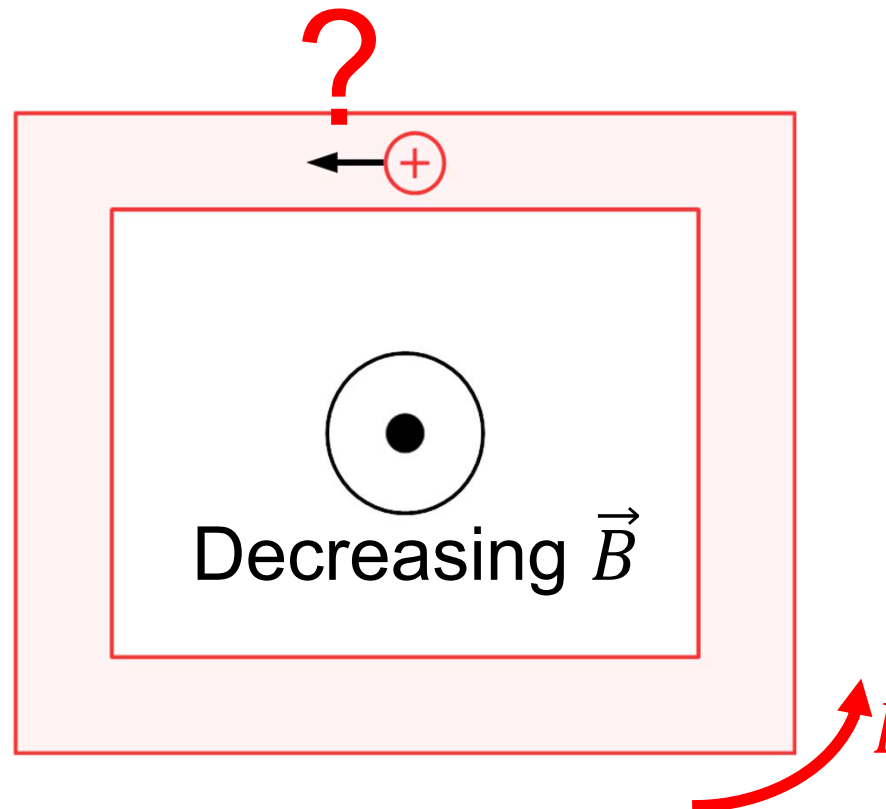


Induced Electric Fields

$$\mathcal{E} = -\frac{d\Phi_B}{dt}$$

What drives the charges in an induced current?



Induced Electric Fields

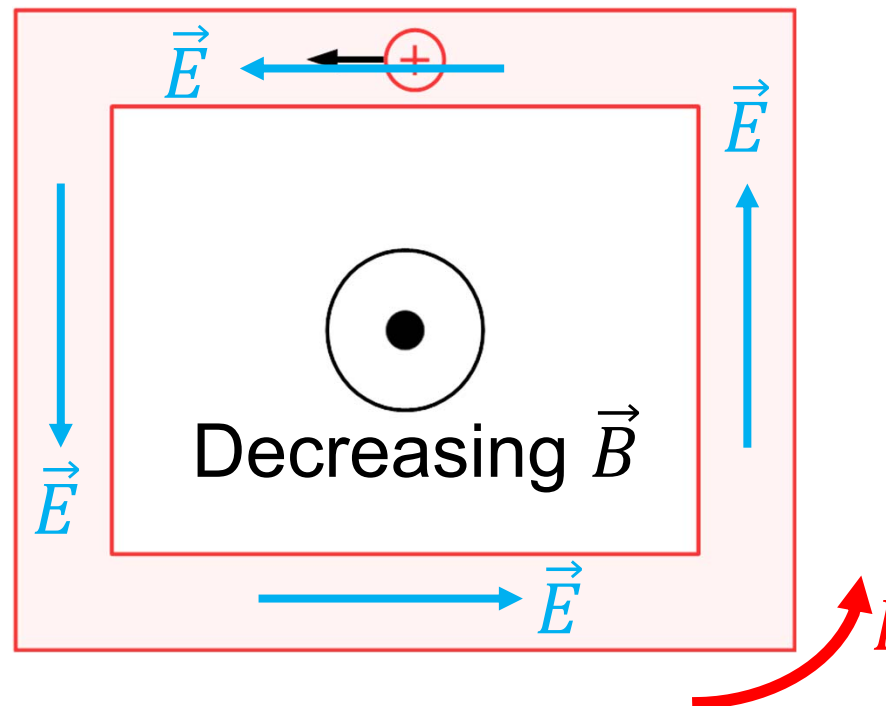
$$\mathcal{E} = -\frac{d\Phi_B}{dt}$$

What drives the charges in an induced current?

Magnetic force
does not do
work.

$$(\vec{F}_B \perp \vec{v})$$

Must be an
electric force.



Induced Electric Fields

$$\mathcal{E} = -\frac{d\Phi_B}{dt}$$



$$\oint \vec{E} \cdot d\vec{s} = -\frac{d\Phi_B}{dt}$$

Induced Electric Fields

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For a changing magnetic flux,

$$W = \oint \vec{F}_E \cdot d\vec{s} = q \oint \vec{E} \cdot d\vec{s} = -q \frac{d\Phi_B}{dt} \neq 0$$

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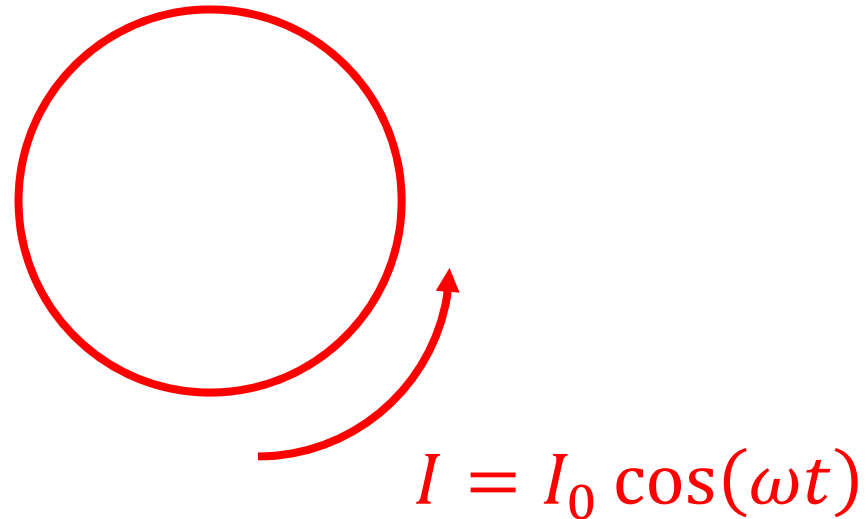
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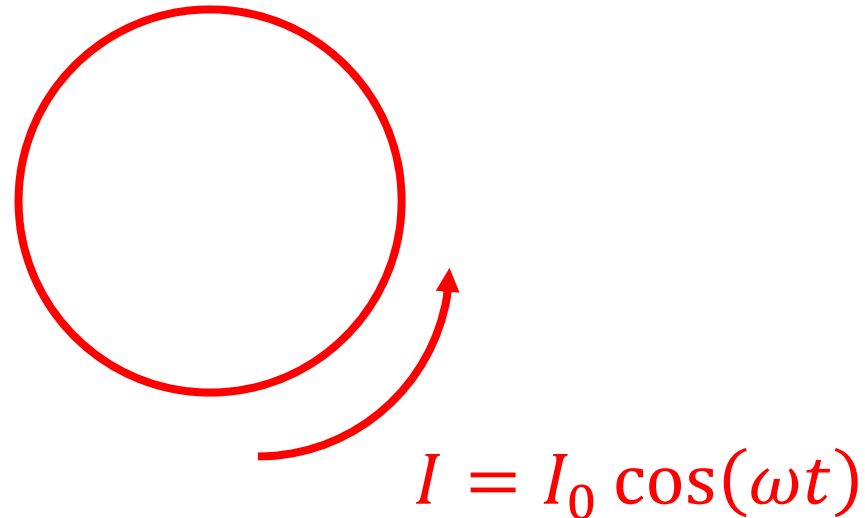
$$\vec{E}_T = \vec{E}_{\text{Coulomb}} + \vec{E}_{\text{Nonconservative}}$$

There is no ΔV associated with the induced \vec{E} .

Example: Determine the induced electric field in a solenoid that is connected to an AC power supply. The solenoid has length, L , number of turns, N , and radius, R .



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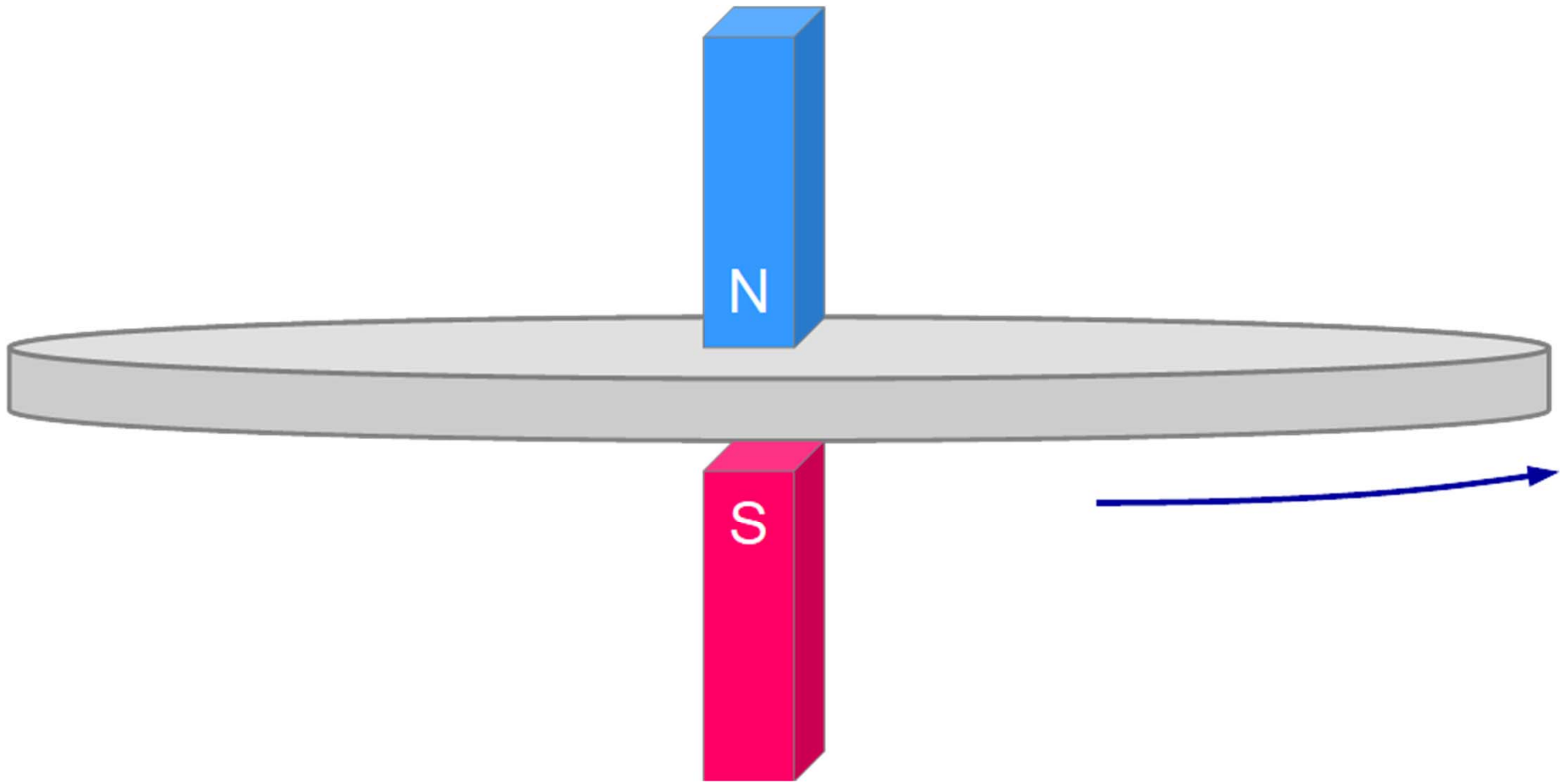
Direction of field lines is the same direction as current would be if there were a conducting loop present.

Determine the direction by pretending there is a wire loop and applying Lenz's Law.

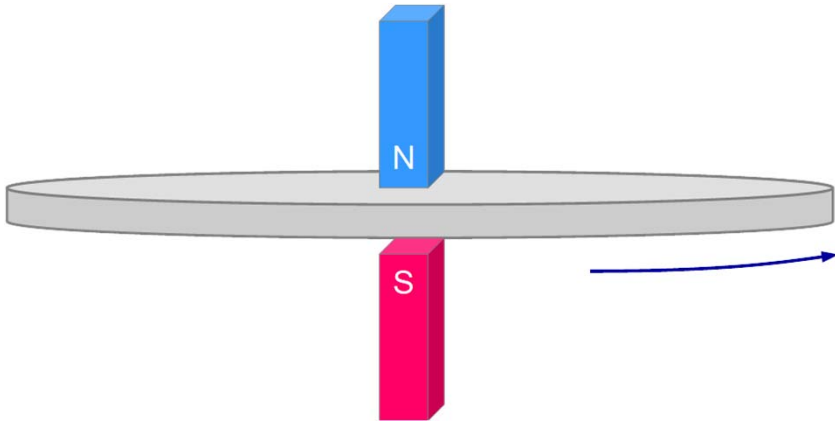
Applications of Induction

- Guitar pick ups
- Alternators
- Generators
- Transformers
- Induction stove
- Eddy brakes

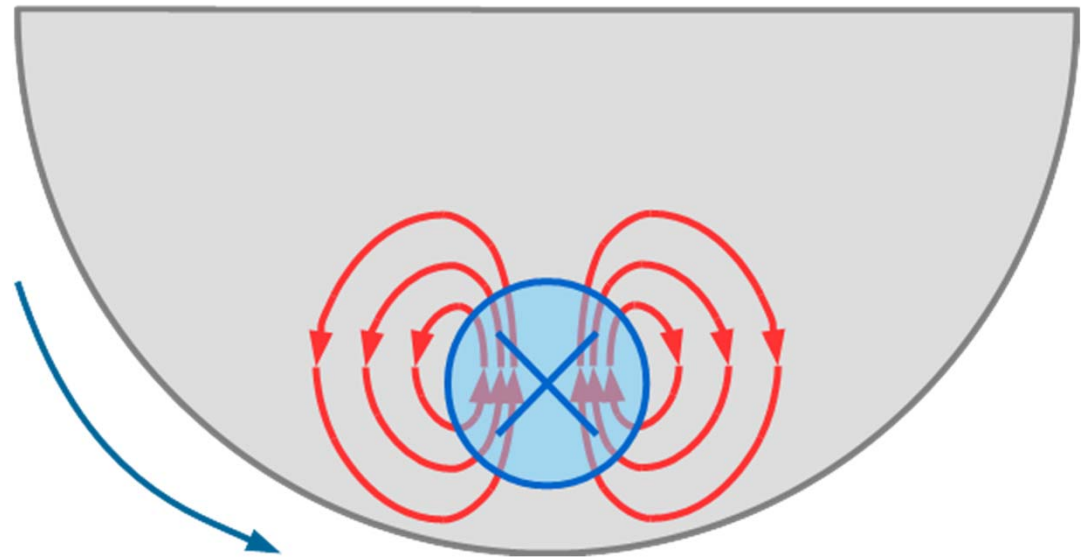
Eddy Brakes



Eddy Brakes

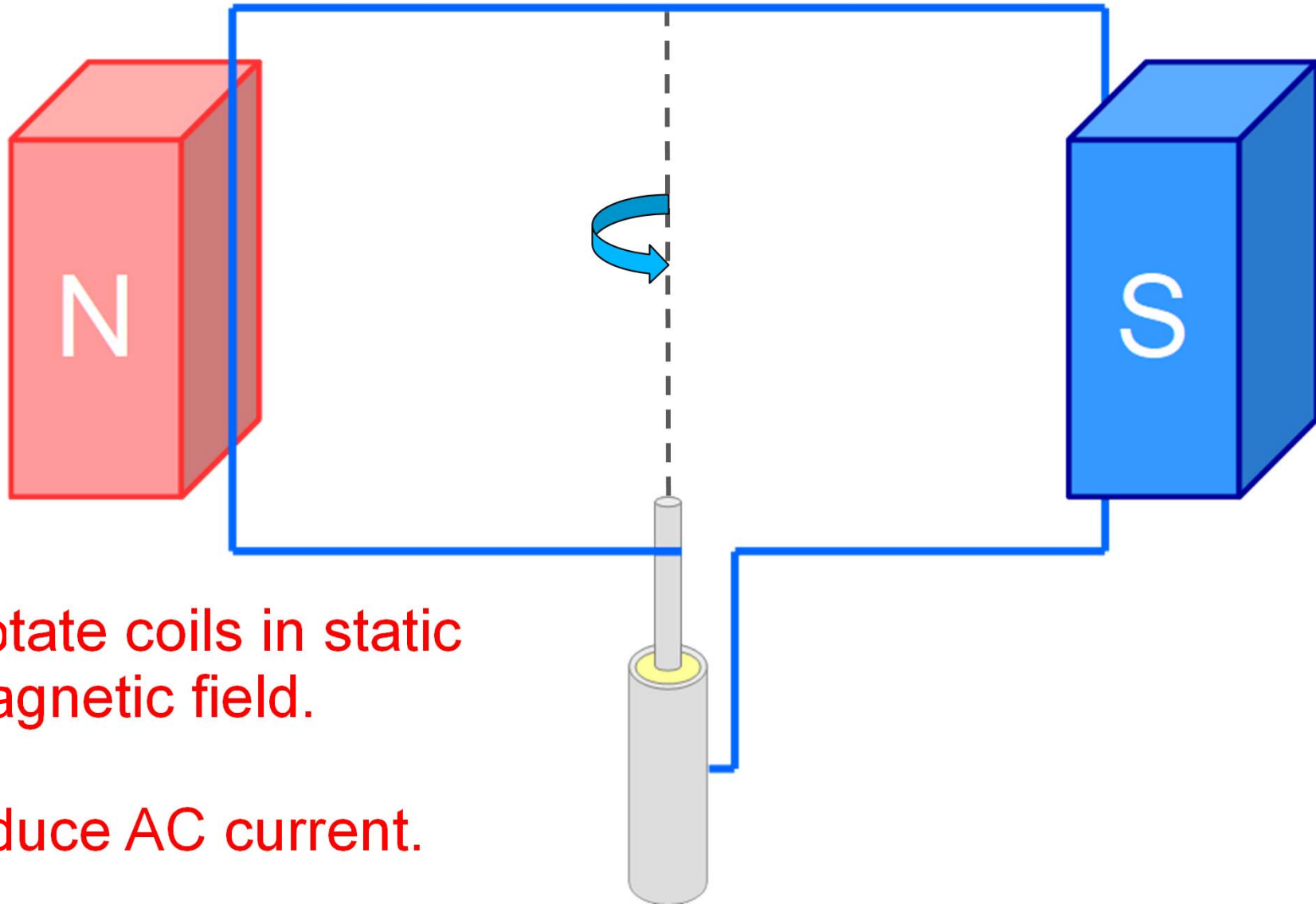


Side View



Top View

Generators and Alternators



Rotate coils in static magnetic field.

Induce AC current.

Gauss's Law

$$\oint \vec{E} \cdot d\vec{A} = \frac{q_{\text{enc}}}{\epsilon_0} \quad \text{Charges produce } \vec{E}$$

Ampere's Law

$$\oint \vec{B} \cdot d\vec{s} = \mu_0 I_{\text{enc}} \quad \text{Moving charges produce } \vec{B}$$

Faraday's Law

$$\oint \vec{E} \cdot d\vec{s} = -\frac{d\Phi_B}{dt} \quad \text{Changing } \Phi_B \text{ produces } \vec{E}$$

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Ampere-Maxwell Law

$$\oint \vec{B} \cdot d\vec{s} = \mu_0 I_{\text{enc}} + \mu_0 \epsilon_0 \frac{d\Phi_E}{dt}$$

Moving charges produce \vec{B}

Changing Φ_E produces \vec{B}

Example: Determine the magnetic field in a circular parallel plate capacitor as it discharges through an RC circuit.

